

# Cyber security: Influence of patching vulnerabilities on the decision-making of hackers and analysts



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# Introduction

- With the explosive growth of the Internet and its extensive use in all sectors, network security has become a challenge (Shiva et al., 2010).
- Organizations need to identify and fix these vulnerabilities as their presence pose a serious threat to the normal working of computer systems.
- This patching may be effective sometimes; however, patches may also lead to new vulnerabilities in computer systems.
- The primary objective of this research is to investigate how the effectiveness of the patching process influences the decisions of hackers and analysts.
- Recently, researchers have studied the patching process through a game theoretic framework called as Markov Security games (Alpcan 2006; Lye 2002; Lye 2005; Roy 2010).

# Payoff and State Transition Matrices

Payoff matrices:

State  $nv$

		Analyst	
		Defend ( $d$ )	Not Defend ( $nd$ )
Hacker	Attack ( $a$ )	-5, 5	10, -10
	Not Attack ( $na$ )	1, -1	0, 0

Nash proportions:  $p = 0.06, q = 0.62$

State  $v$

		Analyst	
		Defend ( $d$ )	Not Defend ( $nd$ )
Hacker	Attack ( $a$ )	-3, 3	11, -11
	Not Attack ( $na$ )	2, -2	0, 0

Nash proportions:  $p = 0.12, q = 0.68$

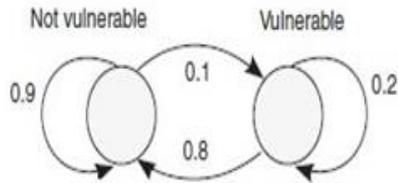
$$p = \frac{D(na,d)}{D(na,d)+D(a,d)+D(a,nd)} \quad (1)$$

$$q = \frac{A(a,nd)}{A(a,nd)+A(a,d)} \quad (2)$$

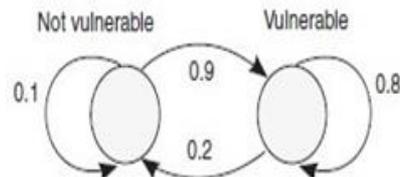
State transition matrices:

(i) Effective Patching

$$M(d) = \begin{bmatrix} 0.9 & 0.8 \\ 0.1 & 0.2 \end{bmatrix}, \text{ or}$$

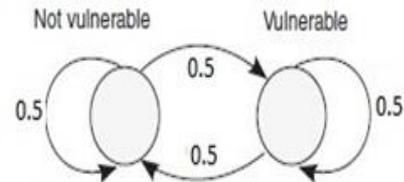


$$M(nd) = \begin{bmatrix} 0.1 & 0.2 \\ 0.9 & 0.8 \end{bmatrix}, \text{ or}$$

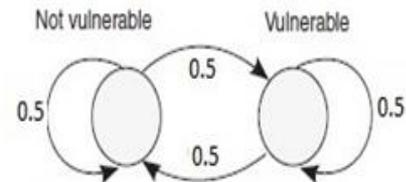


(ii) Less effective patching

$$M(d) = \begin{bmatrix} 0.5 & 0.5 \\ 0.5 & 0.5 \end{bmatrix}, \text{ or}$$



$$M(nd) = \begin{bmatrix} 0.5 & 0.5 \\ 0.5 & 0.5 \end{bmatrix}, \text{ or}$$



where  $p$  represents the proportion of attack ( $a$ ) actions and  $q$  represents the proportion of defend ( $d$ ) actions.

# Literature and Expectations

- A stochastic security game was proposed and the Nash equilibrium was calculated using simulation (Lye 2002; Lye 2005).
- Current game-theoretic approaches have proposed mathematical solutions, disregarding role of humans with cognitive limitations.
- Across both matrices, the payoff for hackers and analysts are similar and these payoffs possess the same valance (positive or negative).
- Thus, we expect similar proportion of attack and defend actions across both the effective and less-effective patching conditions.
- Instance-based Learning Theory (IBLT) , a theory of decisions from experience in dynamic environments, has been shown to be successful in accounting for decisions of participants performing as hackers and analysts
- Furthermore, according to IBLT, overall, we expect human decisions to deviate from their Nash proportions. That is because human participants would possess cognitive limitations on memory and recall processes and human beings would tend to rely upon recency and frequency of outcomes to make their repeated decisions

# Participants and Experimental design

Hundred participants were employed to play the game.

79% males, 74% Undergraduate, Age Min = 18 years, Max = 30years (average = 21.2 years), all participants from STEM Background

- Payment: INR 30 (for participation) + up to INR 20 earned for performance in the game (where 55 points = INR 1)

## Mixed factorial design (2\*50 design)

### ➤ Between-subjects factor:

- Effective patching (N = 50)

$$M(d) = \begin{bmatrix} 0.9 & 0.8 \\ 0.1 & 0.2 \end{bmatrix} \text{ or}$$



$$M(nvd) = \begin{bmatrix} 0.1 & 0.2 \\ 0.9 & 0.8 \end{bmatrix} \text{ or}$$



- Less-effective patching (N = 50)

$$M(d) = \begin{bmatrix} 0.5 & 0.5 \\ 0.5 & 0.5 \end{bmatrix}$$



$$M(nvd) = \begin{bmatrix} 0.5 & 0.5 \\ 0.5 & 0.5 \end{bmatrix}$$



### ➤ Within subjects factor: Rounds = 50

- Independent variable: Patching conditions (Effective patching, Less-effective patching).

### ➤ Dependent variable: Average proportion of actions.

# Hackers and Analysts Screens

## Hacker's feedback (previous trial):

You chose: **Attack**                      You obtained: -5 pts  
 Analyst Chose: **Defend**                      Analyst obtained: 5 pts  
 Your total points won: 545 pts

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**Trial: 2**  
**Your are Hacker.**

Your payoffs will be determined by the following matrix

		Analyst	
		<i>Defend (d)</i>	<i>Not Defend (nd)</i>
Hacker	<i>Attack(a)</i>	-5, 5	10, -10
	<i>Not Attack(na)</i>	1, -1	0, 0

Please choose between the following actions:

Attack

Not Attack

## Analyst's feedback (previous trial):

You chose: **Defend**                      You obtained: 5 pts  
 Hacker Chose: **Attack**                      Hacker obtained: -5 pts  
 Your total points won: 555 pts

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**Trial: 2**  
**Your are Analyst.**

Your payoffs will be determined by the following matrix

		Analyst	
		<i>Defend (d)</i>	<i>Not Defend (nd)</i>
Hacker	<i>Attack(a)</i>	-5, 5	10, -10
	<i>Not Attack(na)</i>	1, -1	0, 0

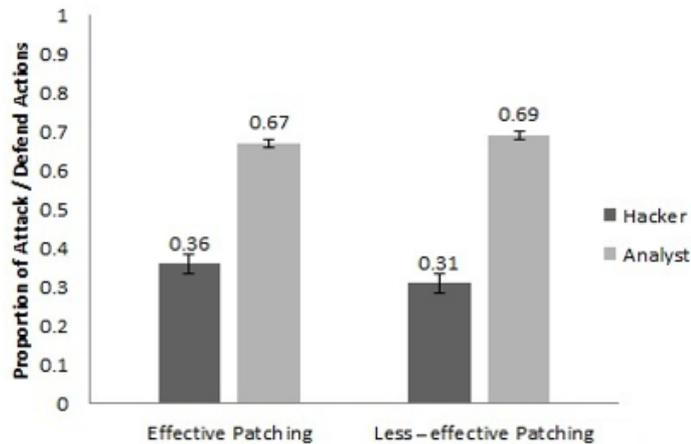
Please choose between the following actions:

Defend

Not Defend

# Results

Proportion of actions across patching conditions



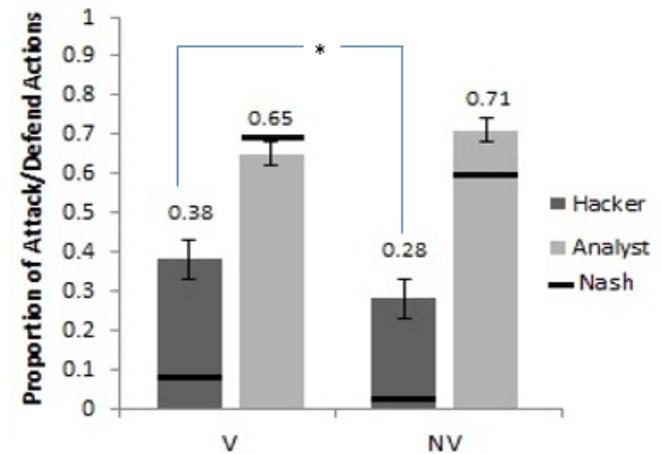
**Hacker**

**Analyst**

$$F(1,49) = .32, p = .57, n_p^2 = .007$$

$$F(1,49) = .133, p = .71, n_p^2 = .003$$

Proportion of actions across states



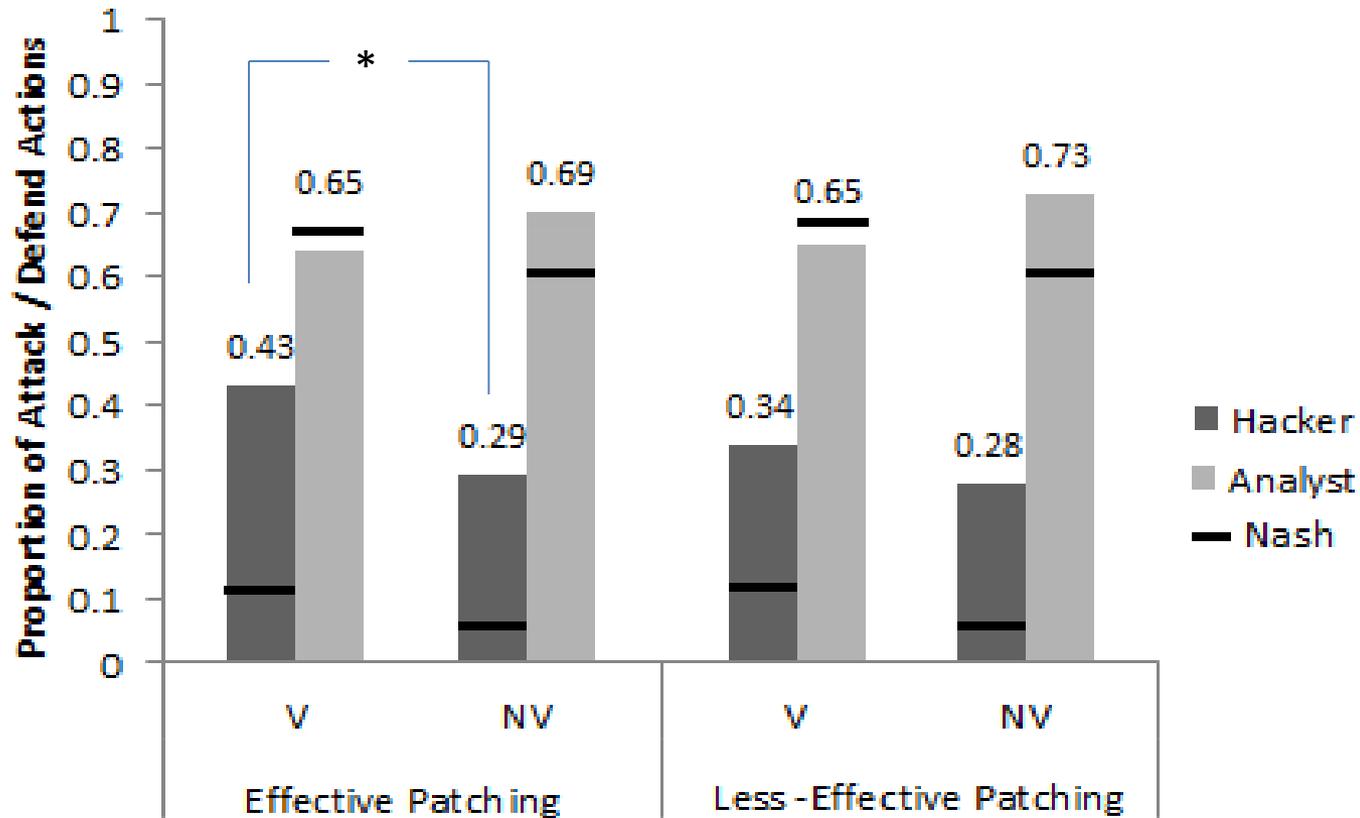
**Hacker**

**Analyst**

$$F(1, 98) = 5.70, p < .05, n_p^2 = .06$$

$$F(1, 98) = .74, p = .39, n_p^2 = .002$$

# Proportion of actions across conditions and states



**Hacker**

**Analyst**

Interaction :  $F(1,98) = .71, p = .39, n_p^2 = .007$

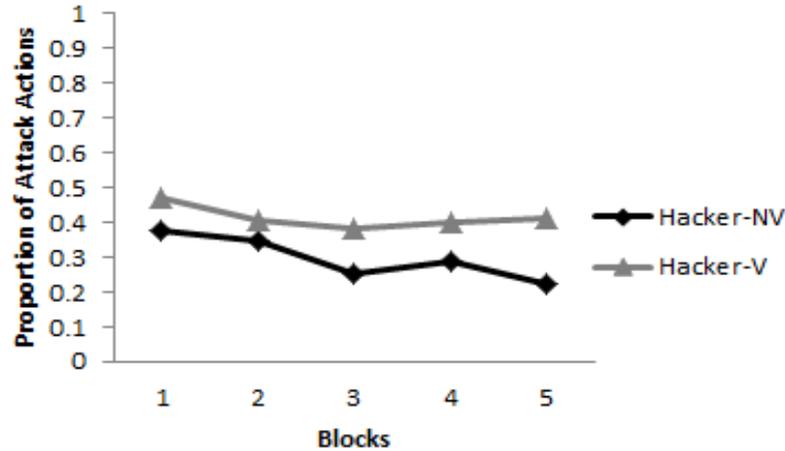
$F(1,98) = .69, p = .41, n_p^2 = .006$

State :  $F(1,98) = 5.75, p < .05, n_p^2 = .06$

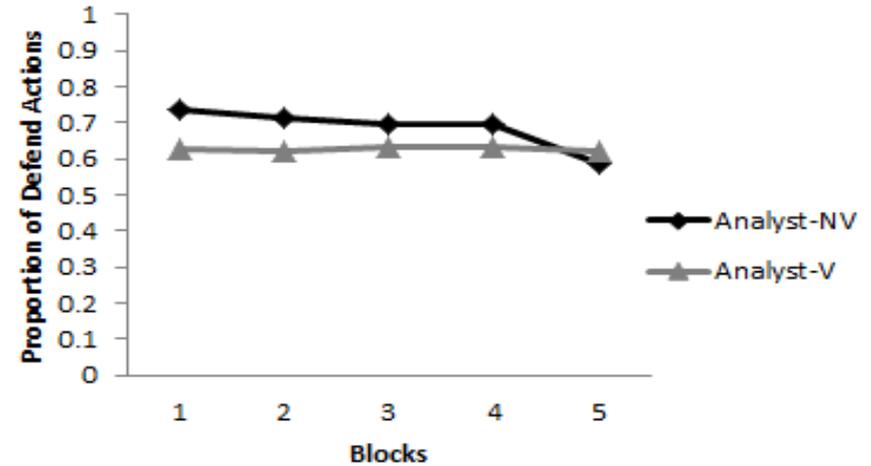
$F(1,98) = 1.97, p = .20, n_p^2 = .02$

# Proportion of attack/defend actions across blocks

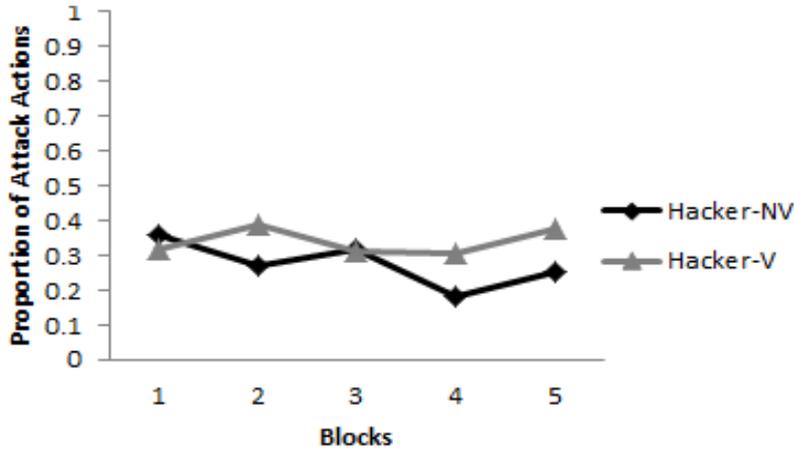
(a) Effective patching



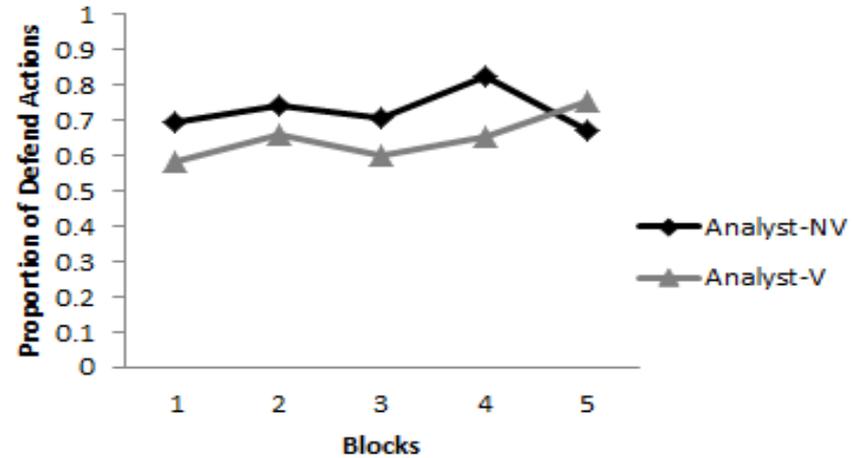
(a) Effective patching



(b) Less-effective patching



(b) Less-effective patching



**Hacker**

Effective:  $F(4, 192) = 0.19, p = .95, \eta_p^2 = .004$

Less-effective:  $F(4, 192) = 1.01, p = .40, \eta_p^2 = .020$

**Analyst**

Effective:  $F(4, 192) = 0.59, p = .67, \eta_p^2 = .012$

Less-effective:  $F(4, 192) = 1.25, p = .29, \eta_p^2 = .024$

# Discussion and conclusion

- Based upon our results, we expect that analysts would continue to excessively patch computer systems in the real-world irrespective of the optimality and the effectiveness of these patching decisions.
- It seems that hackers, while attacking networks, do not seem to worry about whether computer systems are patched effectively or not.
- However, hackers do worry about the vulnerability of computer systems to their attacks. Thus, this perception of vulnerability is likely to influence hacker's cyber-attack decisions.
- As per Instance Based learning Theory (IBLT), when the network is in non vulnerable state, then the expectation for the rewarded action becomes higher than the expectation for other actions

# Implications for Real World

- In the real-world, it may be important to showcase computer networks as less vulnerable to cyber-attacks. One could do so via a number of methods including social networks, newspapers, reports, and multimedia.
- Furthermore, in real world scenarios the hackers would generally have no or limited information on actions and payoffs of analysts.
- Similarly, analysts may have no or limited information on actions and payoffs of hackers or they could get to know hacker's actions to certain extent via tools like Honeypots. Thus in real world attack and defend proportions may be lesser.

Thank you

# References

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